

```

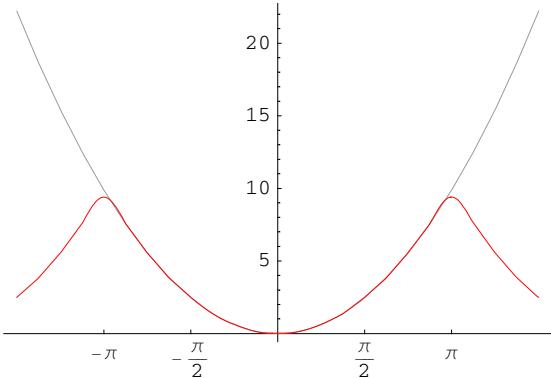
(*****)
(***** Fourier sorok *****)
(*****)

n = 8;          (* fokszám *)
ω = π;          (* félperiódus *)
f[x_] = Sin[x]^4;
f[x_] = x^2; (* függvény - mindenkor a legutolsó számít *)
(*****)

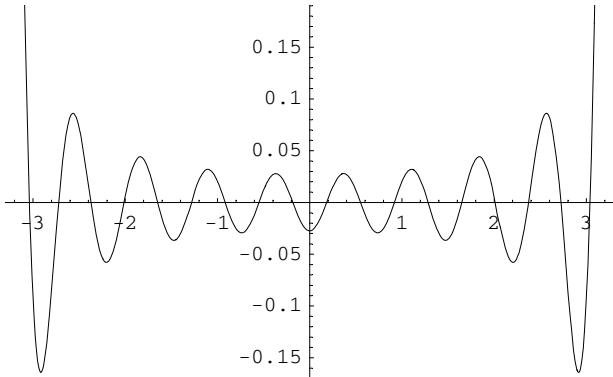
A0 = 1/ω Integrate[f[x], {x, -ω, ω}];
A = Table[1/ω Integrate[f[x] Cos[k π x/ω], {x, -ω, ω}], {k, 1, n}];
B = Table[1/ω Integrate[f[x] Sin[k π x/ω], {x, -ω, ω}], {k, 1, n}];
FourierSor[x_] = A0/2 + Sum[A[[k]] Cos[k π x/ω] + B[[k]] Sin[k π x/ω], {k, 1, n}];

Plot[{f[x], FourierSor[x]}, {x, -3 π/2, 3 π/2},
Ticks → {{-π, -π/2, π/2, π}, Automatic}, PlotStyle → {GrayLevel[0.6], Hue[0]}]
(*az n=8-hoz tartozó Fourier polinom és az x^2 fgv. ábrája*)
Plot[f[x] - FourierSor[x], {x, -π, π}] (*a Fourier sor hibája*)

```

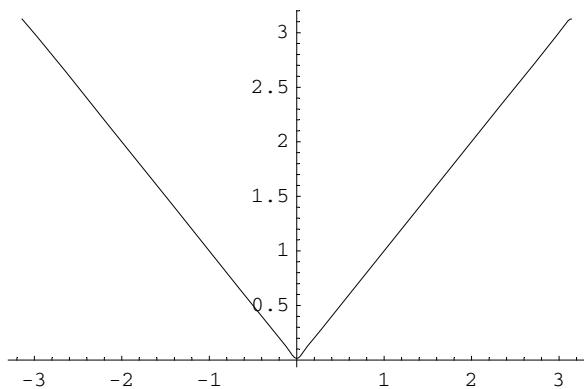


- Graphics -



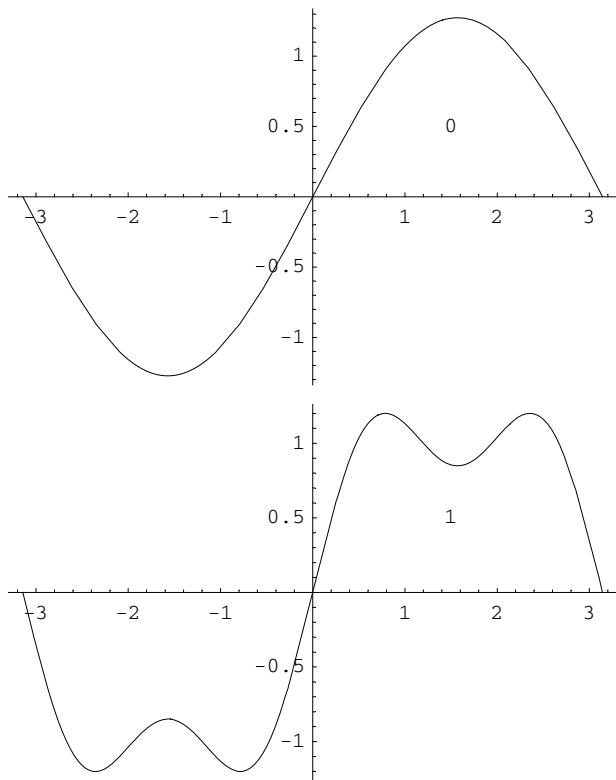
- Graphics -

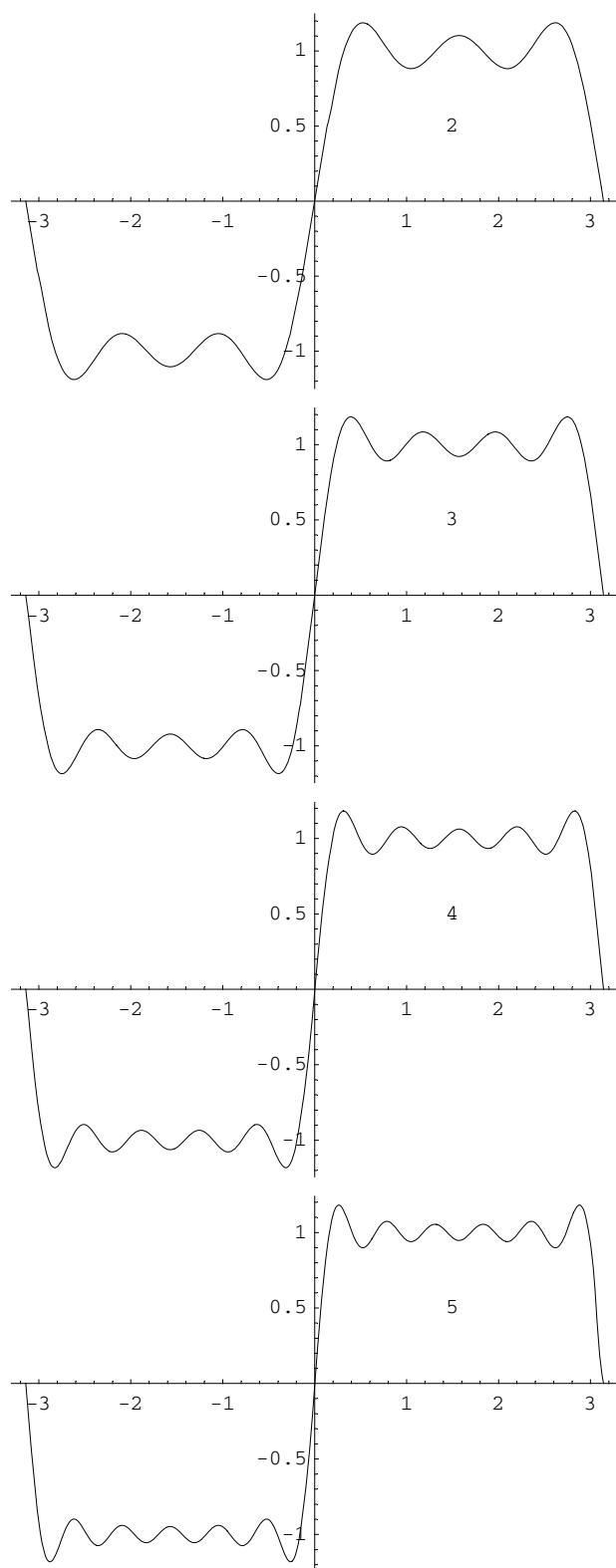
```
(* abszolútérték függvény*)
n = 20;
g[x_] =  $\frac{\pi}{2} + \sum_{k=0}^{n-1} \left( \frac{-4}{(2k+1)^2 \pi} \cos[(2k+1)x] \right);$ 
Plot[g[x], {x, -π, π}, PlotRange → All]
```

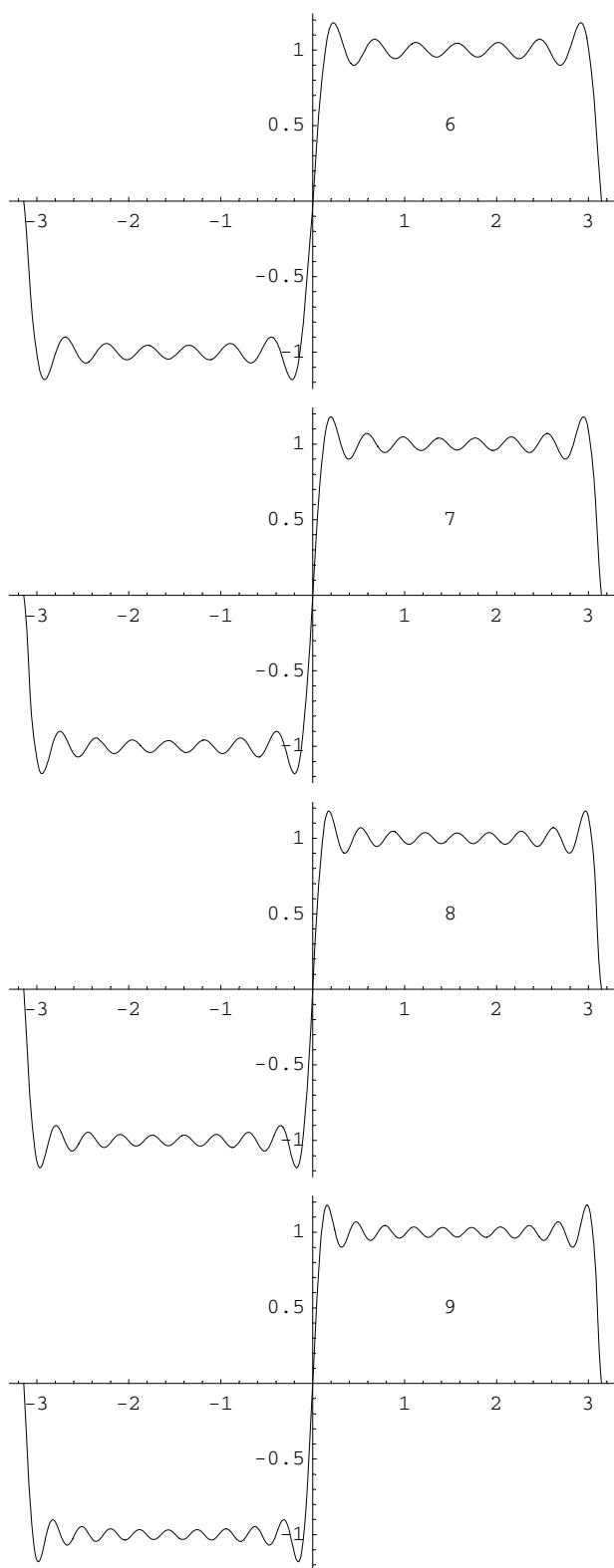


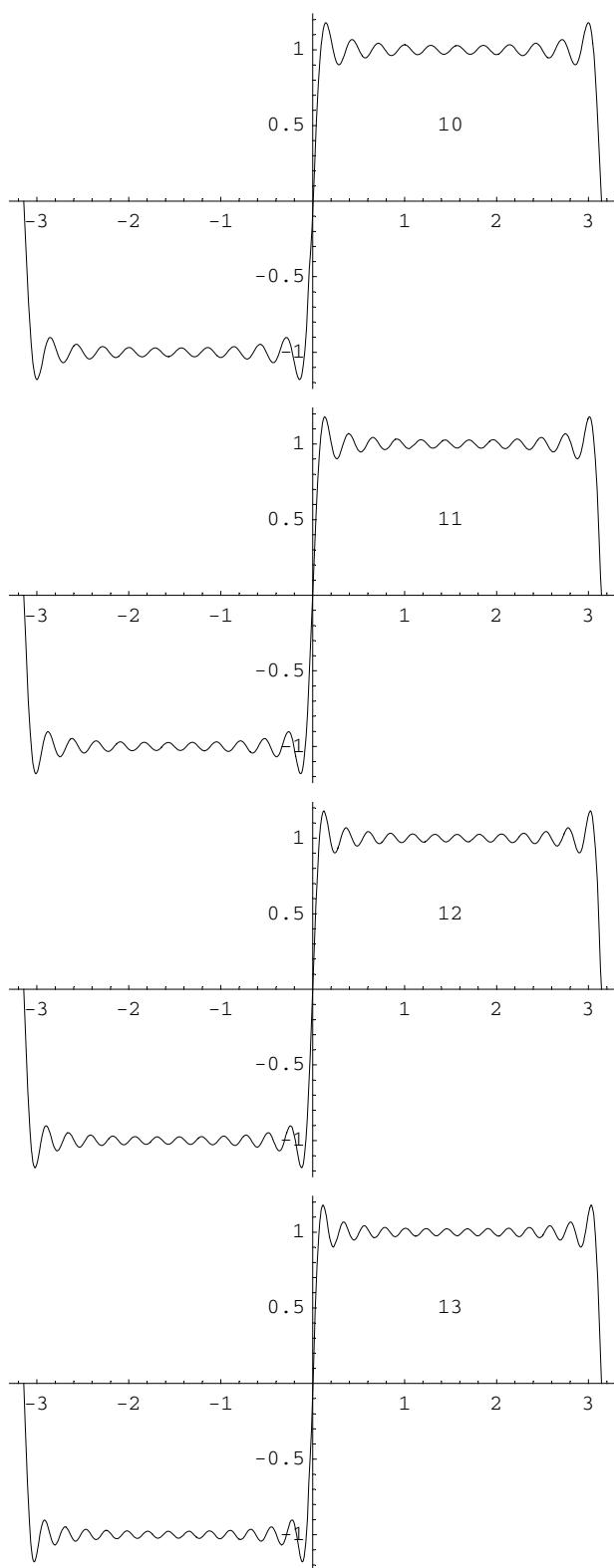
Out[6]= - Graphics -

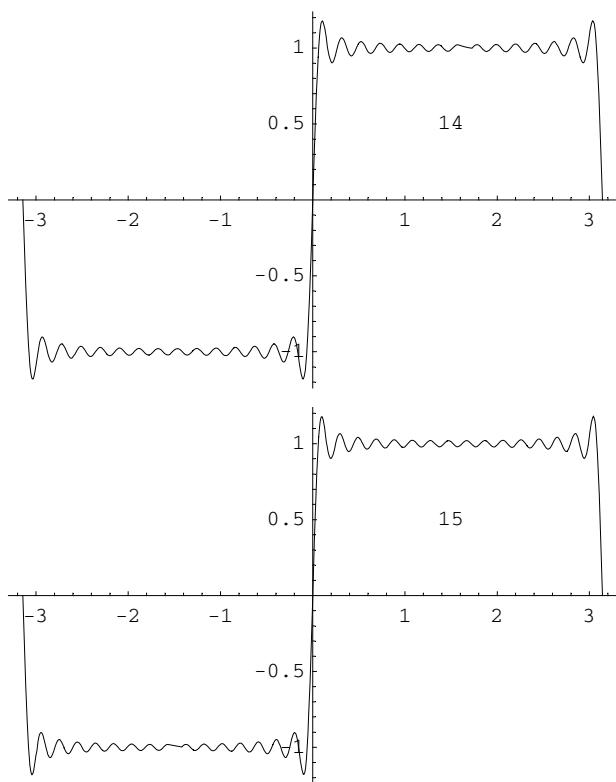
```
(*az egységugrás függvény első 15 Fourier polinomja *)
<< Graphics`Animation`
j = Table[
  {Show[Plot[Sum[ $\frac{4}{(2k+1)\pi} \sin[(2k+1)x]$ , {k, 0, i}], {x, -π, π}, DisplayFunction → Identity]],
   Graphics[Text[i, {1.5, 0.5}]]}, {i, 0, 15}];
ShowAnimation[j, DisplayFunction → $DisplayFunction];
```











(* x^2 függvény első 10 Fourier polinomja *)

<< Graphics`Animation`

```
j = Table[{Show[Plot[Sum[(4 (-1)^k Cos[k x]), {k, 1, i}], {x, -π, π}, DisplayFunction → Identity]], 
Graphics[Text[i, {1.5, 0.5}]]}, {i, 0, 10}];
ShowAnimation[j, DisplayFunction → $DisplayFunction];
```

